

Information

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Information

■ Signal

■ Message (Nachricht)

■ Information

Signal as a function of time

- Analog (Continuous)

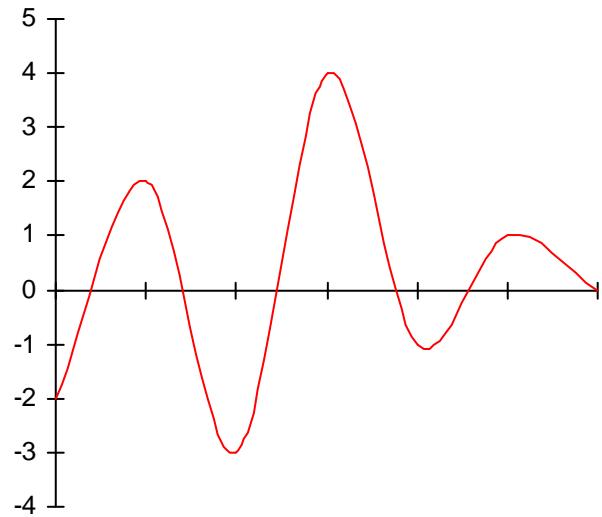
- Continuous-time systems: radio, TV, car, etc.

- Digital (Discrete)

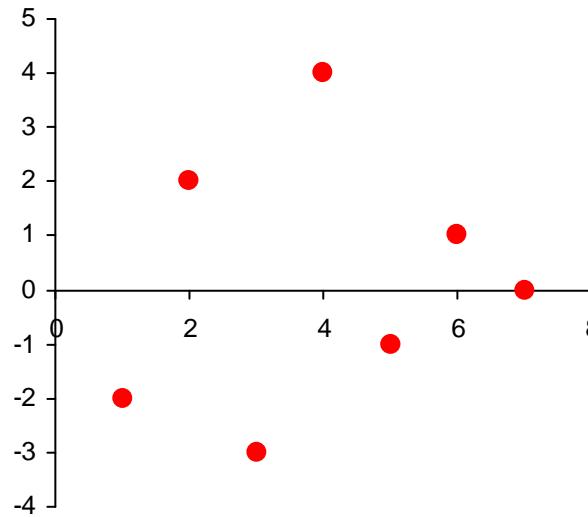
- Discrete-time systems: PC games, Matlab, Mathematica, etc.

Analog vs. Digital Signal

- Analog Signal
 - Continuous flow
 - Arbitrary precision
 - Expensive



- Digital Signal
 - Discrete flow
 - Limited precision
 - Less expensive



Messages

- Language
 - Syntax \leftarrow representation
 - Semantics \leftarrow meaning
- Example of languages
 - $(x+1)/(x-1)$
 - `for (int i=0; i<n; i++)`
 - 101011100
 - happy man

Syntax

- Alphabet: symbols of a language

- Examples:

{a | b | c | ...| z}

{0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9}

{+ | - | * | / | < | >| = }

Binary Alphabet

{ ☺| ☻}

{♀| ♂}

{0 | 1}

{ T| F}

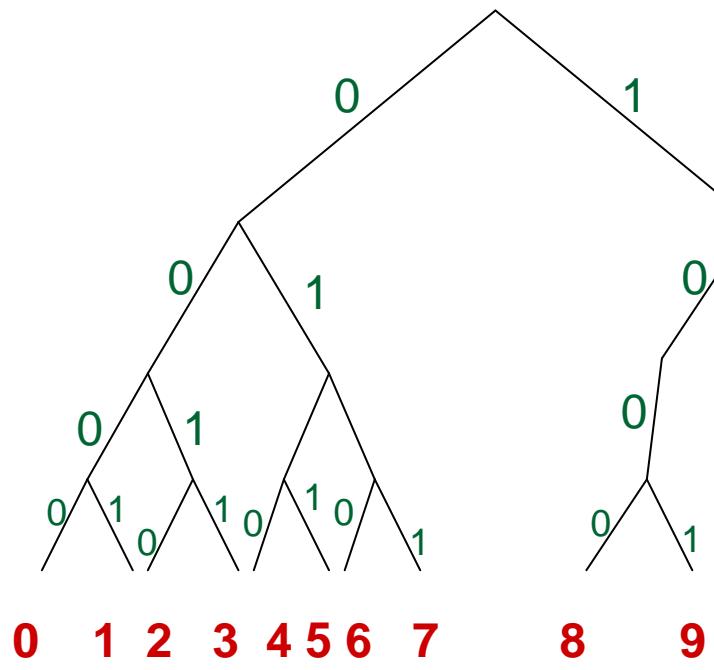
Binary Numbers / Bits

- Code: sequence of alphabet symbols
 - Encoding
 - Decoding

Binary Code

| | |
|---|------|
| 0 | 0 |
| 1 | 1 |
| 2 | 10 |
| 3 | 11 |
| 4 | 100 |
| 5 | 101 |
| 6 | 110 |
| 7 | 111 |
| 8 | 1000 |
| 9 | 1001 |

Code Tree



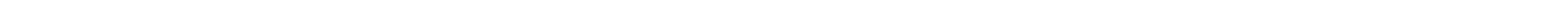
Code Length and Data Representation

- $N = 2^L$

L ... (binary) codeword's length

N ... Number of different words

- $L = \lceil \log_2 N \rceil$



Signed and Unsigned Integers

- Unsigned integers on L bits range over:

$$0, \dots, 2^L - 1$$

(ganze Zahlen ohne Vorzeichen)

- Signed integers on L bits range over:

$$-(2^{L-1} - 1), \dots, 2^{L-1} - 1 \quad (\text{with } +/- 0)$$

(ganze Zahlen mit Vorzeichen)

one sign bit (the most significant bit):

- 0 for positive
- 1 for negative

Exercise

- Signed integers of how many decimal digits can be represented in a binary code of 8 bits of length?

(Auf wie viele Dezimalziffern genau können ganze Zahlen mit Vorzeichen in einem binären Code der Länge 8 bit dargestellt werden?)